# Analyzing Cryptography in Context:

The Case Study of Apple's CSAM Scanning Proposal

Ran Canetti (Boston University) Julie Ha (Boston University), and Gabriel Kaptchuk (University of Maryland)

Cryptographic Applications Workshop 2024

"How should we analyze cryptographic deployments?"

### The Apple PSI System

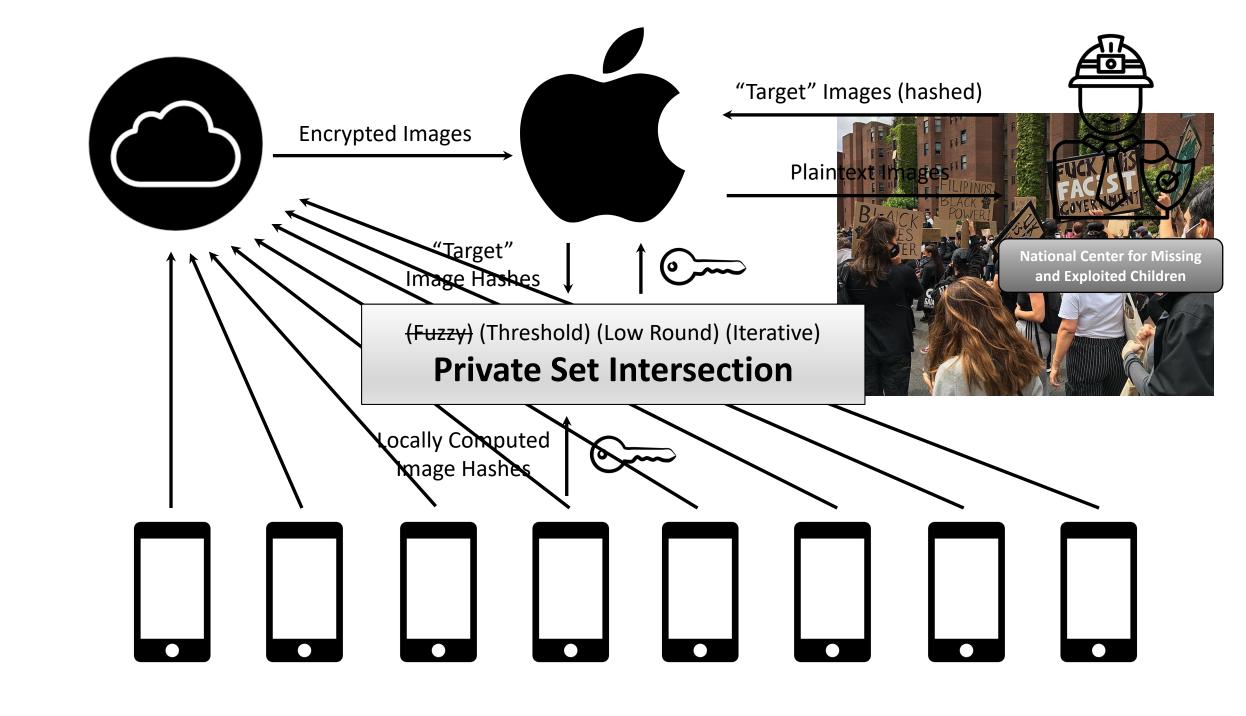
Abhishek Bhowmick Dan Boneh Steve Myers Apple Inc. Stanford University Apple Inc.

> Kunal Talwar Karl Tarbe Apple Inc. Apple Inc.

> > July 29, 2021

#### Abstract

This document describes the constraints that drove the design of the Apple private set intersection (PSI) protocol. Apple PSI makes use of a variant of PSI we call private set intersection with associated data (PSI-AD), and an extension called threshold private set intersection with associated data (tPSI-AD). We describe a protocol that satisfies the constraints, and analyze its security. The context and motivation for the Apple PSI system are described on the main project site.

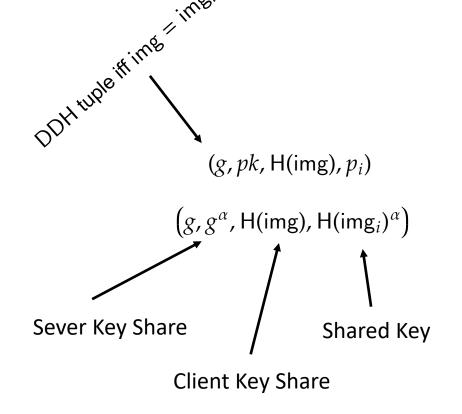


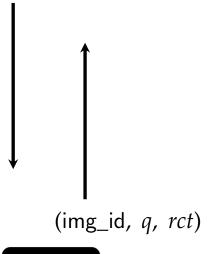


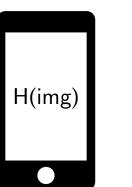
 $(img_1, img_2, \ldots, img_n)$ 



pdata = 
$$(pk = g^{\alpha}, p_1 = H(img_1)^{\alpha}, p_2 = H(img_2)^{\alpha}, \dots, p_{n'}' = H(img_{n'})^{\alpha})$$







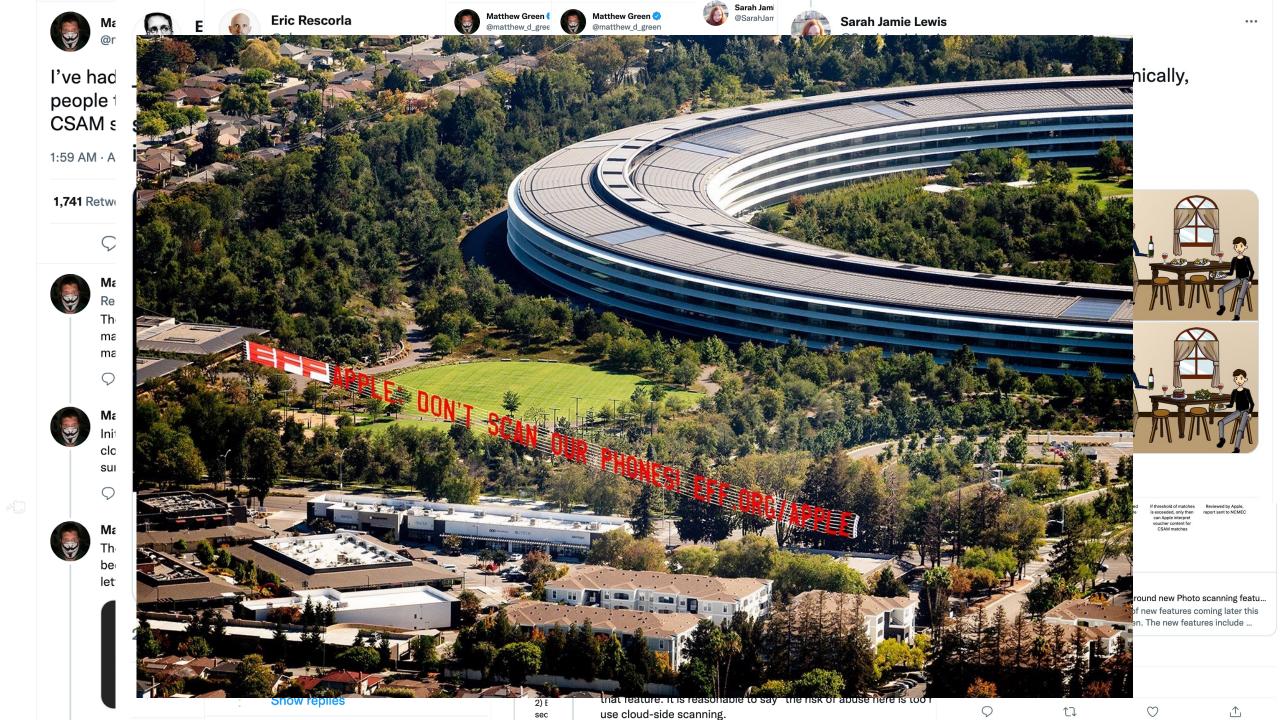
$$q \leftarrow \mathsf{H}(\mathsf{img})^{\beta} \cdot g^{\gamma}$$

$$s \leftarrow p_i^{\beta} \cdot pk^{\gamma} \qquad (g, pk, q, s)$$

$$rct \leftarrow \mathsf{Enc}(\mathsf{KDF}(s), \ (sh, adct))$$

$$adct \leftarrow \mathit{Enc}(adkey, key)$$

 $sh \leftarrow SecretShare(adkey, t)$ 





The system can be easily retargeted



Malicious operators or hackers could abuse system



The system lacks robustness against malicious clients

#### Bugs in our Pockets: The Risks of Client-Side Scanning

Hal Abelson Ross Anderson Steven M. Bellovin
Josh Benaloh Matt Blaze Jon Callas Whitfield Diffie
Susan Landau Peter G. Neumann Ronald L. Rivest
Jeffrey I. Schiller Bruce Schneier Vanessa Teague
Carmela Troncoso

October 15, 2021





"How should we analyze cryptographic deployments?"

### "Well you should probably prove that your construction is secure..."

#### Parameters known to all parties:

- two parties: server and client,
- B is the maximum set size for the server and client,
- t is the threshold,
- $s_{\text{max}}$  is the maximum size of the set S of synthetics,
- all associated data values ad in  $\mathcal{D}$  have the same public length.

#### The functionality $\mathcal{F}$ :

- Wait for input  $X = \{x_1, x_2, ...\}$  from the server; abort if the server is corrupt and |X| > B.
- Send |X| to the client; abort if the client is corrupt and aborts.
- Wait for input  $\bar{Y} \in (\mathcal{U} \times \mathcal{I}D \times \mathcal{D})^m$  and  $S \subseteq id(\bar{Y})$  from the client; abort if the client is corrupt and  $(m > B \text{ or } |S| > s_{\text{max}})$ .
- Send  $\bar{Y}_{id}$  to the server.
- If  $\left|id(\bar{Y}\cap X)\smallsetminus S\right|>t$ : send  $\bar{Y}[id(\bar{Y}\cap X)\smallsetminus S]_{\{id,ad\}}$  and S to the server, otherwise:

send  $id(\bar{Y} \cap X) \cup S$  to the server.

Figure 1: The ideal functionality  $\mathcal{F}$  for ftPSI-AD

```
Game \mathbf{G}_{\Pi}^{\mathrm{ss}}

INIT:

1 c \leftarrow \$ \{0,1\}  // Random challenge bit

2 \mathbf{H} \leftarrow \$ \Pi.\mathbf{HS}  // Pick a function to be the random oracle

POST(X_0, X_1):  // Adversary calls with sets X_0, X_1.

3 Require: |X_0| = |X_1| and X_0, X_1 \subseteq \Pi.\mathbf{U}

4 (pdata, skey) \leftarrow \$\Pi.\mathbf{SePost}^{\mathsf{HASH}}(X_c)

5 Return pdata  // Adversary is given this

HASH(W):  // The random oracle

6 Return \mathbf{H}(W)

FIN(c'):  // Adversary provides guess c' \in \{0,1\} for c

7 Return (c = c')  // Result of game, true if c' = c and false otherwise
```

Figure 2: Game defining server-security of protocol  $\Pi$ .

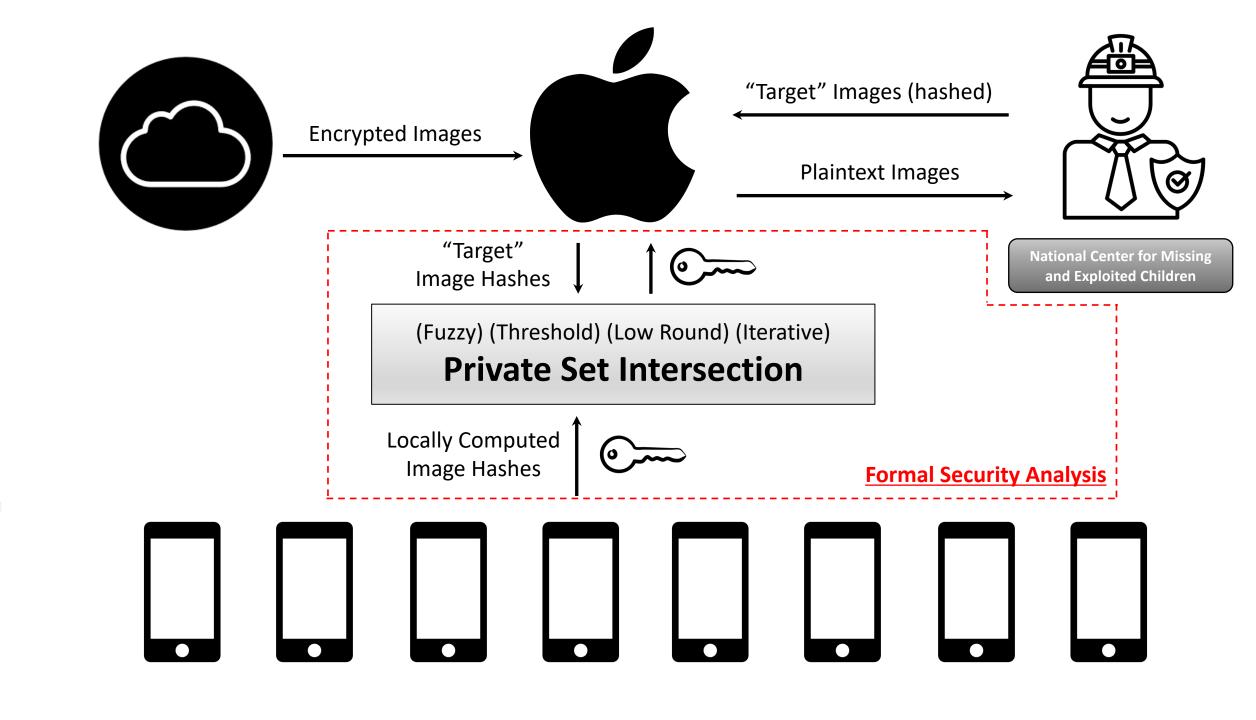
Downside: modularity is a double edged sword

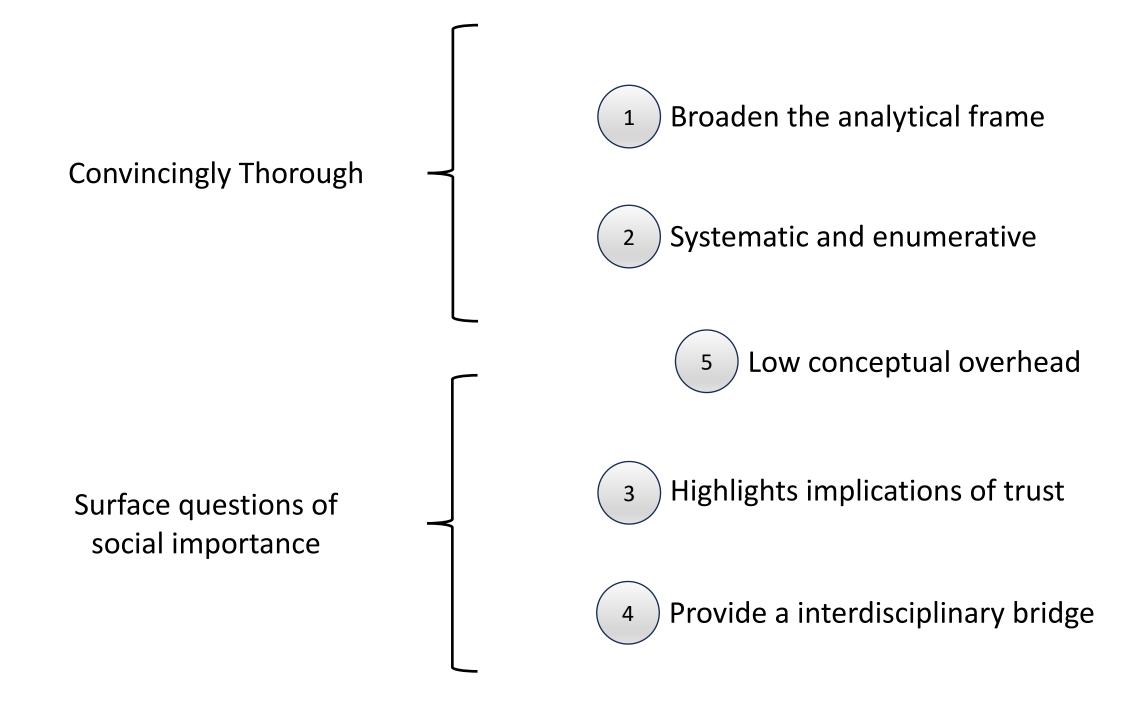
Downside: Game based proofs aren't very expressive

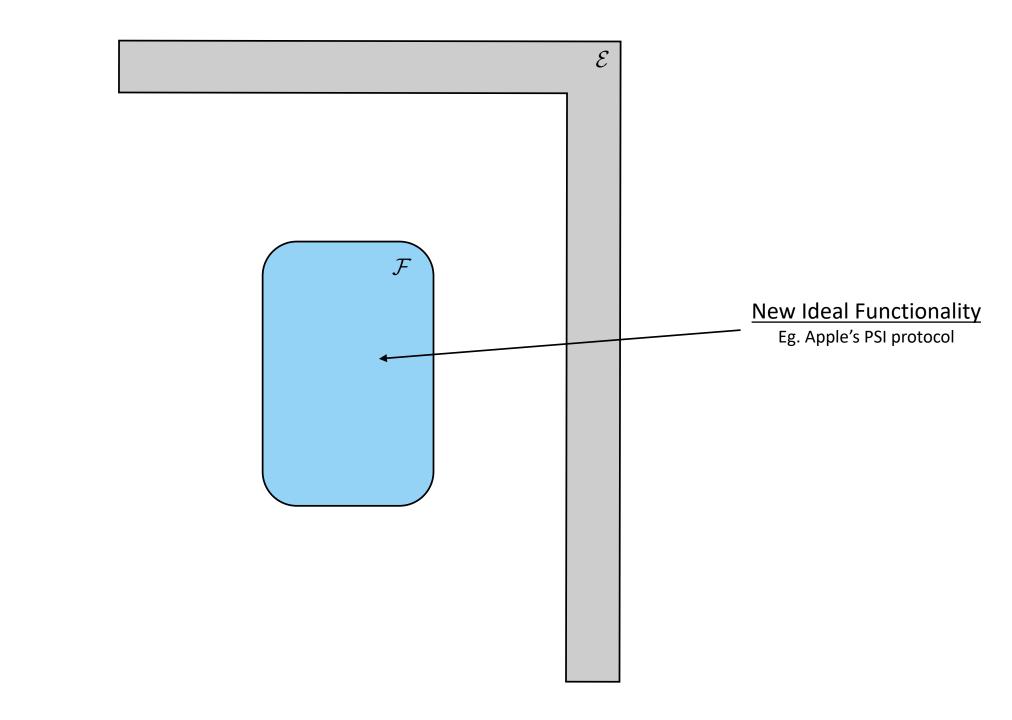
# "How *should* we analyze cryptographic *deployments*?" Our answer: "In context"

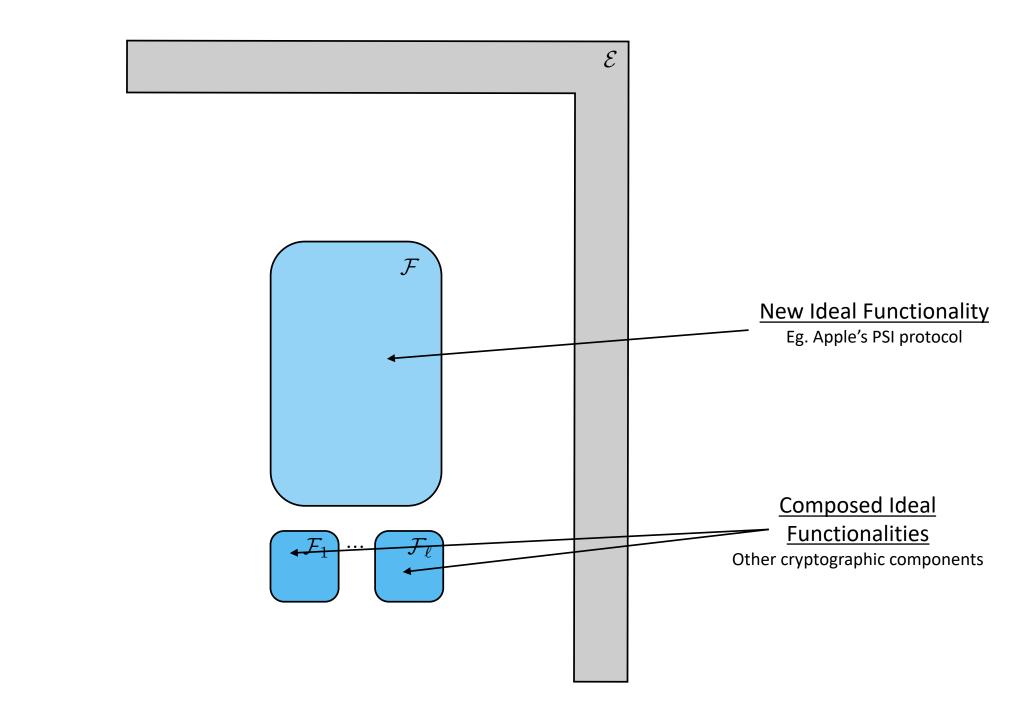
Option 1: Apple didn't know about the issues, and their analysis failed to highlight the problems

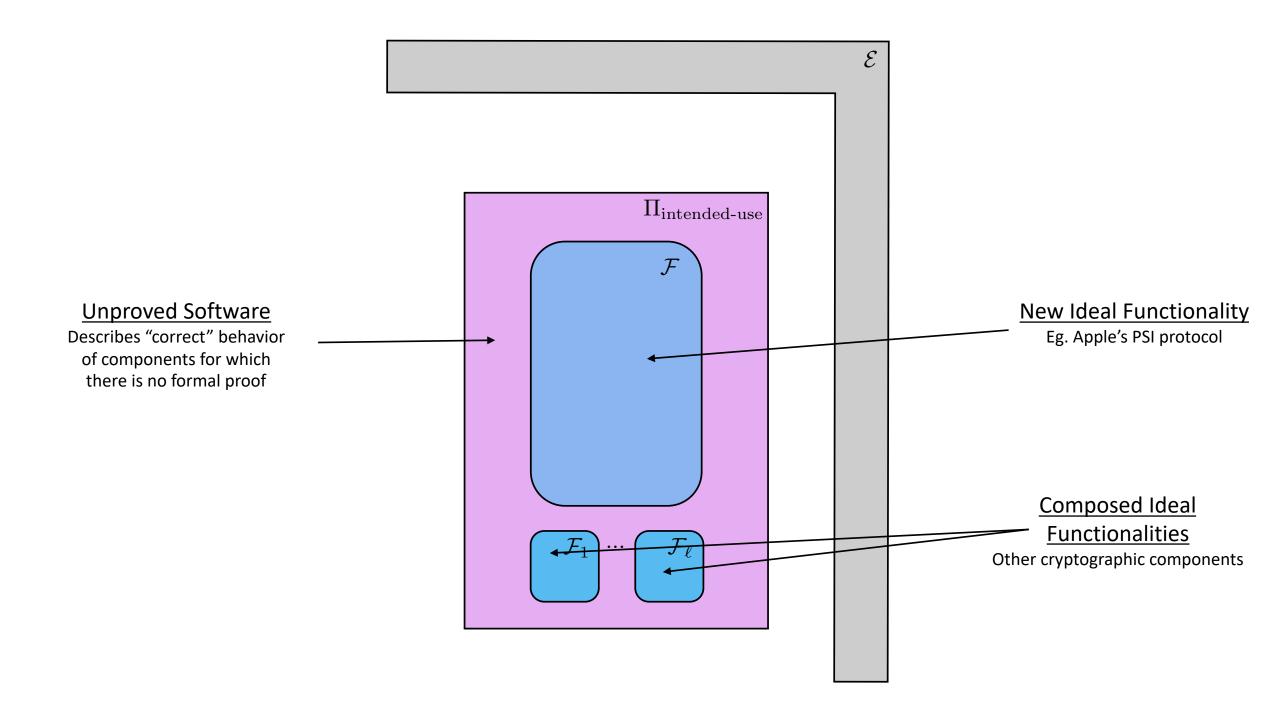
Option 2: Apple knew about all these issues, and our standard cryptographic analysis tools make it easy to suppress them

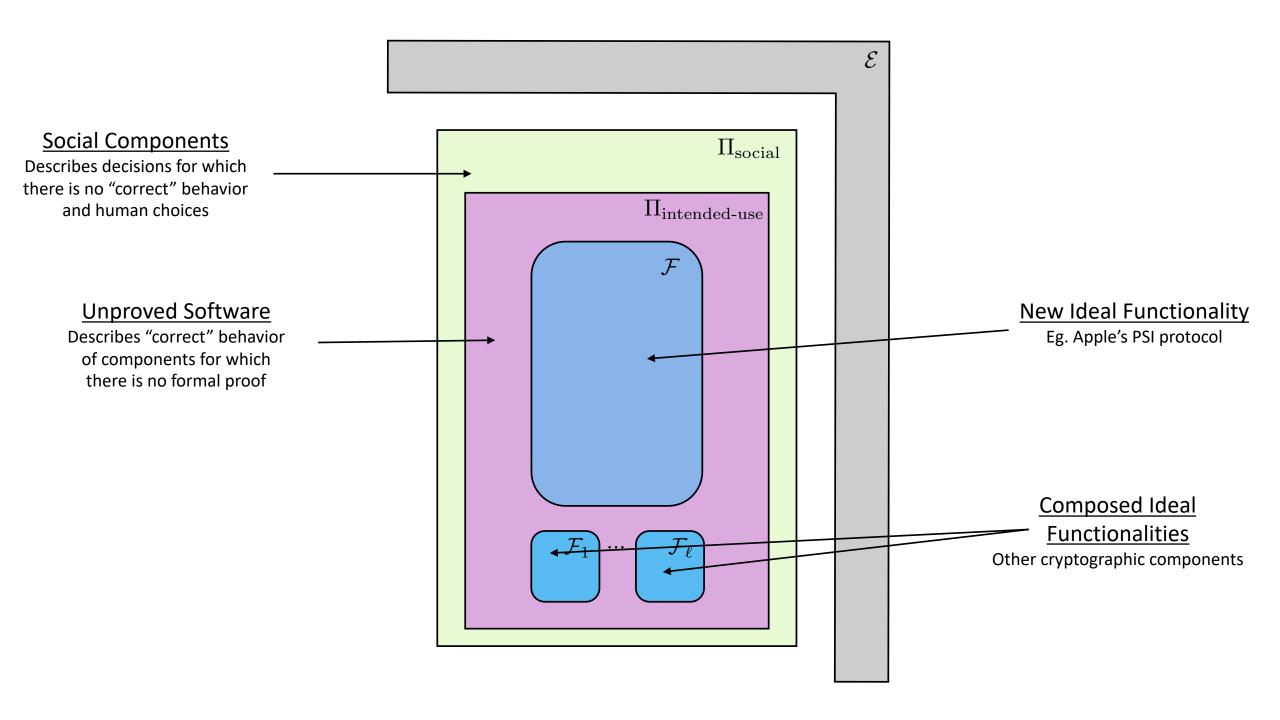






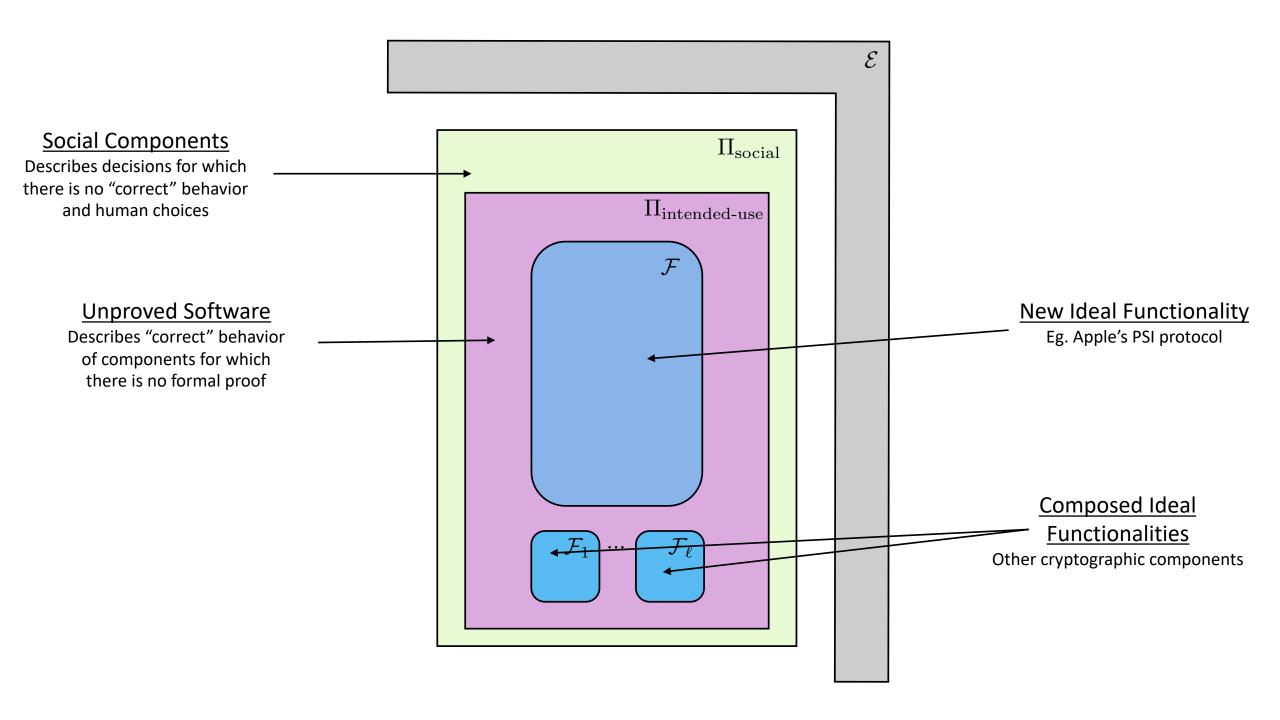






# Did we meet our goals?

- ( 1 ) Broaden the analytical frame Trace full lifecycle of the data
- (2) Systematic and enumerative Fixed process for generating protocols
- (3) Highlights implications of trust Trust choices are explicit
- (4) Provide a interdisciplinary bridge Highlights social components in "natural" language
- 5 Low conceptual overhead *UC is super simple and easy to understand/work with*



### Case Study: Apple's Proposed\* CSAM Scanning System

#### $\mathcal{F}_{ ext{Apple-CSAM-Scan}}$

The functionality is parameterized by a threshold  $\mathcal{T}$ . For all clients  $\mathcal{U}$ , initialize IsCounting  $\mathcal{U} = \mathsf{False}$ .

**Initializing Clients**: Upon input (InitScan,  $\{U_1, \dots U_n\}, \{X_{U_1}, \dots, X_{U_n}\}$ ) from APPLE:

1. For  $\mathcal{U}_i \in \{\mathcal{U}_1, \dots \mathcal{U}_n\}$ , if  $\mathsf{IsInited}_{\mathcal{U}_i} = \mathsf{True}$ , continue. Otherwise record  $X_{\mathcal{U}_i}$  and set  $\mathsf{IsInited}_{\mathcal{U}_i} = \mathsf{True}$ . Finally, send (InitScanComplete) to APPLE.

#### **Process Initialization**: Upon input (ProcessInit) from $\mathcal{U}$ :

1. If  $\mathsf{IsInited}_{\mathcal{U}} \neq \mathsf{True}$ , set  $\mathsf{IsCounting}_{\mathcal{U}} = \mathsf{True}$  and  $\mathsf{send}$  (InitScanComplete,  $|X_{\mathcal{U}}|$ ) to  $\mathcal{U}$ . Otherwise,  $\mathsf{send}$  (InitScanComplete,  $\perp$ ) to  $\mathcal{U}$ .

**Scan Image**: Upon input (ScanImage, img\_id, img\_hash, k, valid  $\in \{\text{true}, \text{false}\}\)$  from client  $\mathcal{U}$ :

1. Is Counting<sub> $\mathcal{U}$ </sub> = True, return. If this is the first image received from  $\mathcal{U}$ , initialize variable counter<sub> $\mathcal{U}$ </sub>, list photolist<sub> $\mathcal{U}$ </sub>, and list keys<sub> $\mathcal{U}$ </sub>.

 $//\mathcal{F}$  alerts the Server that the user has uploaded a photo.

- 2. If img\_hash  $\notin X_{\mathcal{U}}$  or valid = false, send (ScanImageComplete,  $\mathcal{U}$ , false) to APPLE.
- 3. If  $img\_hash \in X_{\mathcal{U}}$ , increment  $counter_{\mathcal{U}}$ , append  $img\_id$  to  $photolist_{\mathcal{U}}$  and append k to  $keys_{\mathcal{U}}$ . Then,
  - (a) If counteru < T send (ScanImageComplete, U, true) to APPLE.
  - $\text{(b) If } \mathsf{counter}_{\mathcal{U}} \geq \mathcal{T}, \, \mathsf{send} \, \left(\mathsf{ThresholdMet}, \mathcal{U}, \mathsf{photolist}_{\mathcal{U}}, \mathsf{keys}_{\mathcal{U}}\right) \, \mathsf{to} \, \mathit{APPLE}.$

### One Shot vs. Incremental

#### Parameters known to all parties:

- two parties: server and client,
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- Wait for input  $\bar{Y} \in (\mathcal{U} \times \mathcal{I}D \times \mathcal{D})^m$  and  $S \subseteq id(\bar{Y})$  from the client; abort if the client is corrupt and  $(m > B \text{ or } |S| > s_{\text{max}})$ .
- Send  $\bar{Y}_{id}$  to the server.
- If  $\left|id(\bar{Y}\cap X)\smallsetminus S\right|>t$ : send  $\bar{Y}[id(\bar{Y}\cap X)\smallsetminus S]_{\{id,ad\}}$  and S to the server, otherwise: send  $id(\bar{Y}\cap X)\cup S$  to the server.

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1. For  $U_i \in \{U_1, \dots U_n\}$ , if  $\mathsf{IsInited}_{U_i} = \mathsf{True}$ , continue. Otherwise record  $X_{U_i}$  and set  $\mathsf{IsInited}_{U_i} = \mathsf{True}$ . Finally, send (InitScanComplete) to APPLE.

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- 2. If  $img\_hash \notin X_{\mathcal{U}}$  or valid = false, send (ScanImageComplete,  $\mathcal{U}$ , false) to APPLE.
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  - (b) If  $counter_{\mathcal{U}} \geq \mathcal{T}$ , send (ThresholdMet,  $\mathcal{U}$ , photolist<sub> $\mathcal{U}$ </sub>,  $keys_{\mathcal{U}}$ ) to APPLE.

# Self Composition

#### Parameters known to all parties.

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# Extractability

#### 4.4.1 Privacy for the server's dataset X against a malicious client

First, let's show that a malicious client  $\mathcal{A}_{c}^{H}$  that interacts with an honest server with input X, learns nothing about X other than its size.

For an adversary  $\mathcal{A}_{c}^{H}$ , a simulator  $Sim_{c}$ , and an environment  $\mathcal{Z}$ , define the following two random variables:

- REAL<sub> $\Pi, \mathcal{A}_c^H, \mathcal{Z}$ </sub> is the random variable defined as the output of  $\mathcal{Z}$  in a real world execution after interacting with the malicious client  $\mathcal{A}_c^H$  as in Figure 4a.
- IDEAL $_{\mathcal{F}, \operatorname{Sim}_{c}, \mathcal{Z}}$  is the random variable defined as the output of  $\mathcal{Z}$  in an ideal world execution after interacting with the simulator  $\operatorname{Sim}_{c}$  as in Figure 4b.

**Definition 2.** We say that a protocol  $\Pi$  for  $\mathcal{F}$  is **server private** if for every efficient adversary  $\mathcal{A}_c$ , there exists an efficient adversary  $\operatorname{Sim}_c$ , such that for every efficient environment  $\mathcal{Z}$ ,

$$\left| \Pr \left[ \operatorname{REAL}_{\Pi, \mathcal{A}_{\operatorname{c}}^H, \mathcal{Z}} = 1 \right] - \Pr \left[ \operatorname{IDEAL}_{\mathcal{F}, \operatorname{Sim}_{\operatorname{c}}, \mathcal{Z}} = 1 \right] \right| \leq \epsilon$$

for some negligible  $\epsilon$ .

4. Sim<sub>c</sub> sends pdata  $\leftarrow (L, P_1, \dots, P_{n'})$  and the nonces to  $\mathcal{A}_c^H$ .

This completes the description of  $Sim_c$ .

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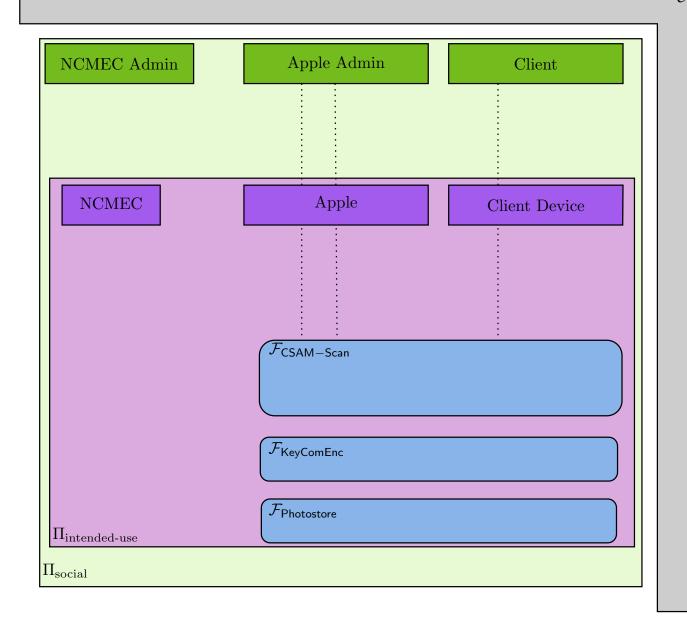
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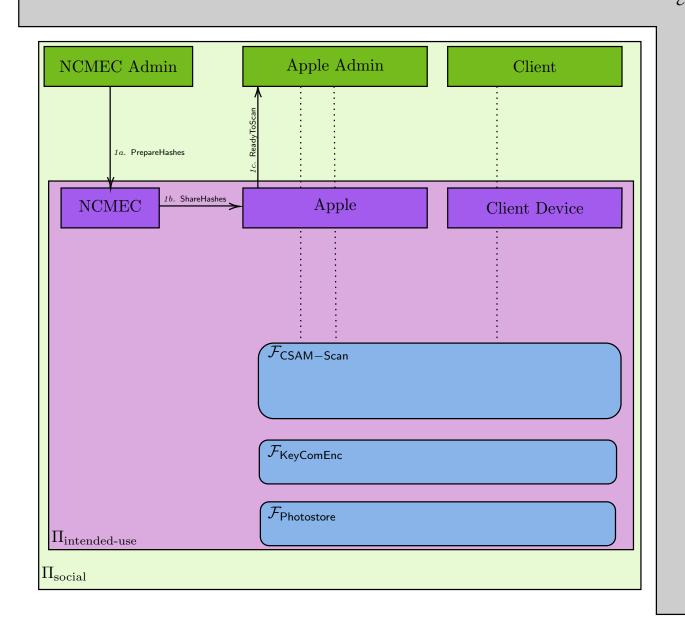
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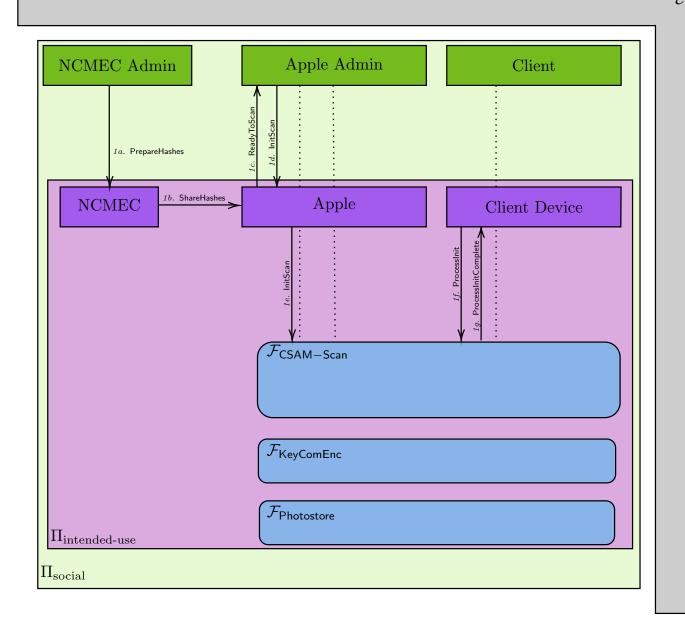
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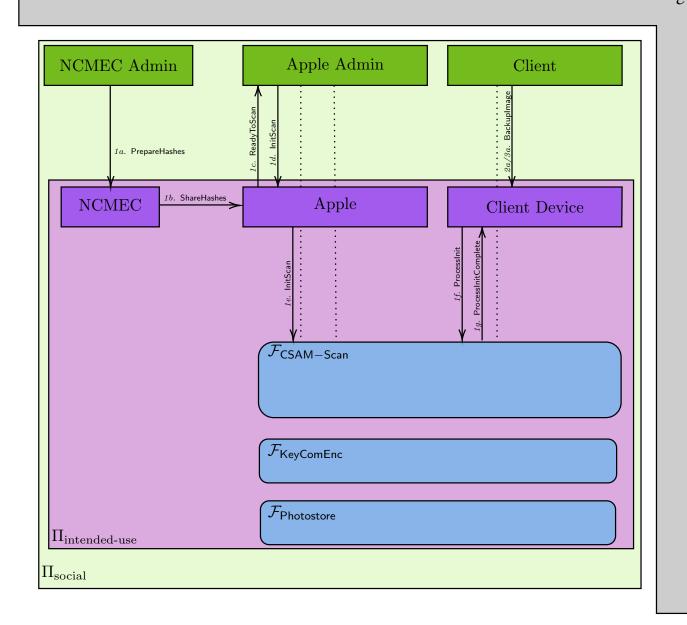
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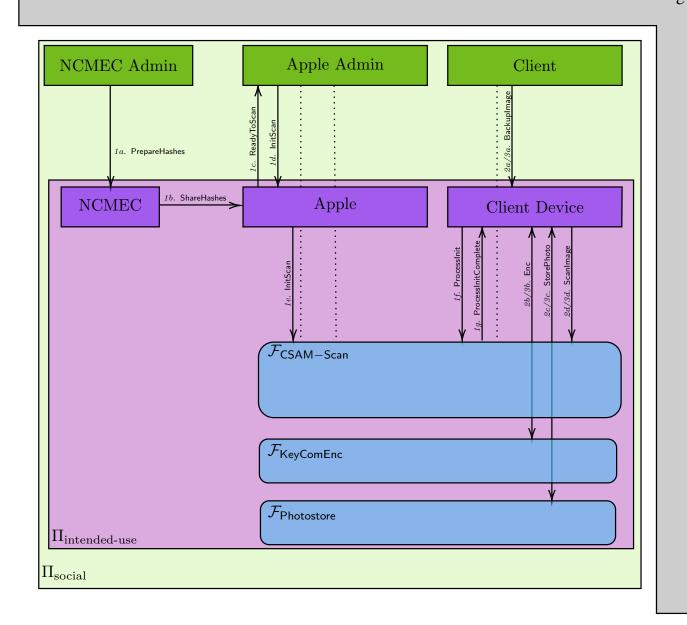
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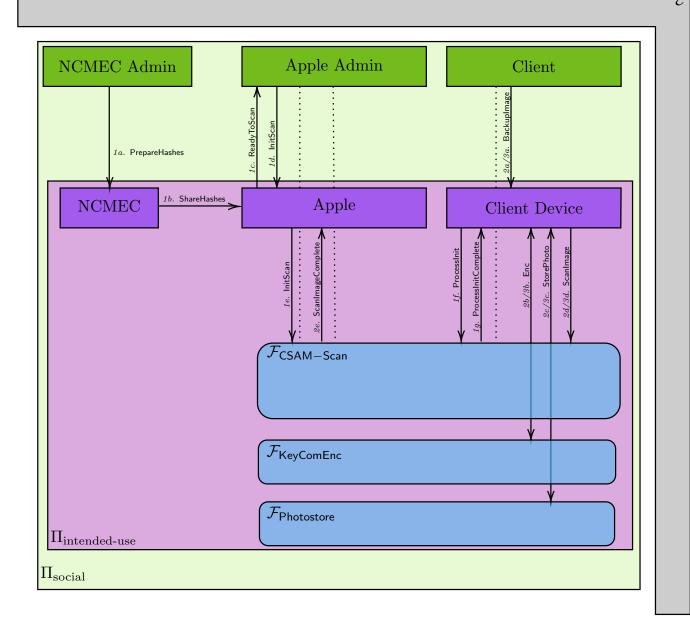


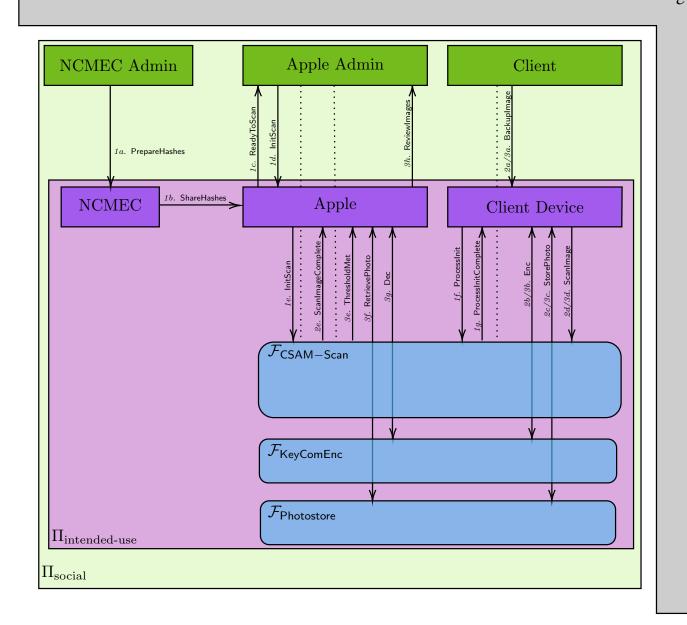












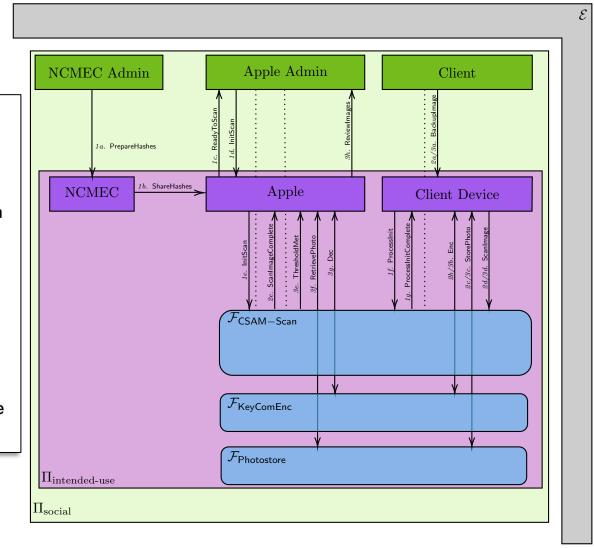
# Does this actually help?

### Top Down Analysis:

CSAM Detection provides these privacy and security assurances:

- Apple does not learn anything about images that do not match the known CSAM database.
- Apple can't access metadata or visual derivatives for matched CSAM images until a threshold of matches is exceeded for an iCloud Photos account.
- The risk of the system incorrectly flagging an account is extremely low. In addition,
   Apple manually reviews all reports made to NCMEC to ensure reporting accuracy.
- Users can't access or view the database of known CSAM images.
- Users can't identify which images were flagged as CSAM by the system.

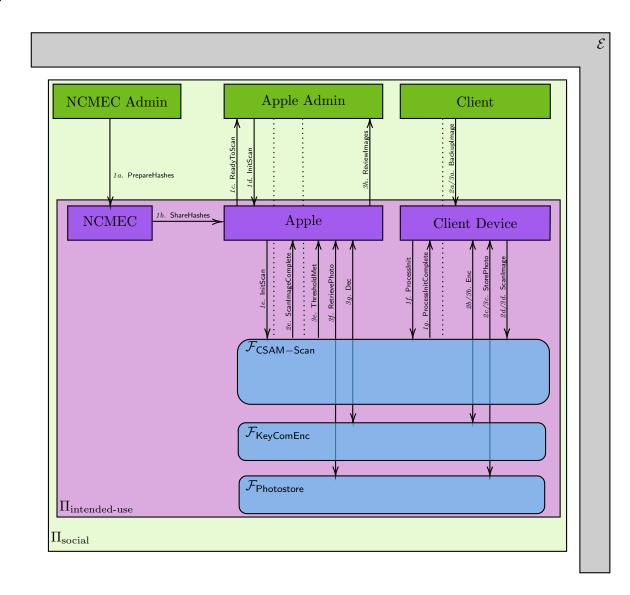
For detailed information about the cryptographic protocol and security proofs that the CSAM Detection process uses, see The Apple PSI System.



# Does this actually help?

### **Bottom Up Analysis:**

- What are the consequences of divergent/surprising/non-normative choices in  $\Pi_{social}$ ?
- What are the consequences of malicious/buggy software running  $\Pi_{intended-use}$ ?
- What if software dependencies within  $\Pi_{intended-use}$  do not have desired properties?



Where do we go from here?

More Social properties!

### Potential Additional Properties:

- 1. Client devices can detect if apple is attempt to scan for any perceptual hashes not designated as CSAM by Apple [SchefflerKulshresthaMayer23]
- 2. A pre-determined judge must approve of any image decryptions before they are to happen
- 3. Even if the pre-determined judge becomes compromised, images can only be decrypted after the match threshold has been met
- 4. False positives should leave an indelible audit trail
- 5. The system should be publicly auditable. Namely, the public should be able to verify:
  - That the server is using the same set of hashes for all clients
  - That the perceptual hashes for which the server is scanning are those selected by NCMEC
  - That any images that the server claims were the decrypted as a result of the system were actually uploaded by the accused client
- 6. Clients can only use the photostore if they honestly use the scanning system

# Key Take Aways:



We desperately need new analysis tools that prevent privacy theater



There is an opportunity to create Interdisciplinary boundary objects [Star and Griesmemer 1989]



Apple's proposed system is a valuable case study and it remains understudied

### Thanks!

