

Fuzzy PSI meets Real-World Problem: Deduplication of Humanitarian Aid Recipients

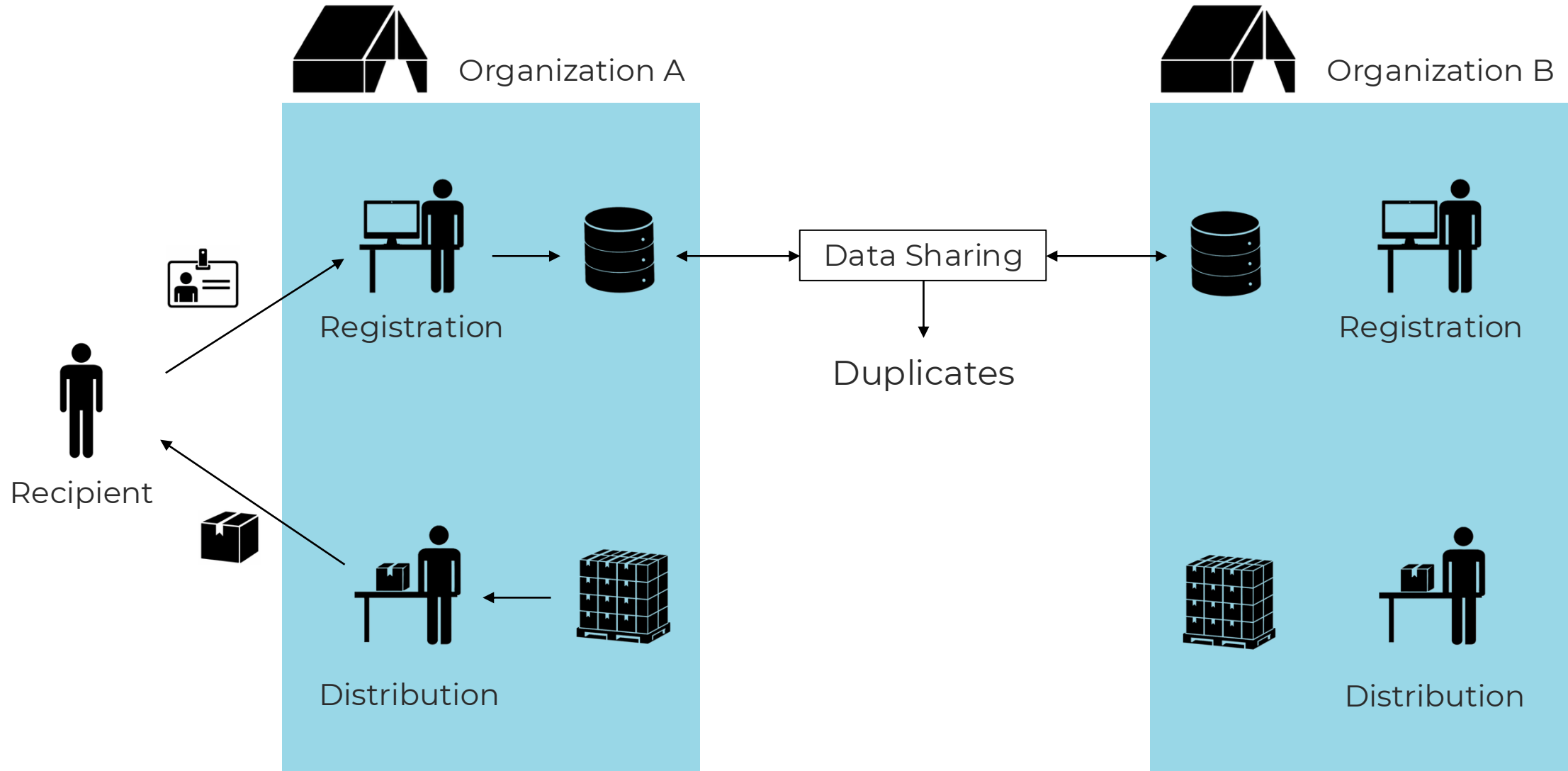
***Tim Rausch**, Sylvain Chatel, Wouter Lueks*

CISPA Helmholtz Center for Information Security

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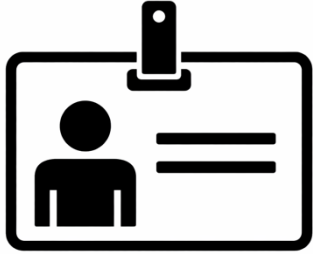


Humanitarian Aid Distribution





Deduplication Options



Unique Identifiers

- Government-issued tax IDs
- May be unavailable



Biometrics

- Fingerprint or iris scan
- Highly privacy-invasive



Biographical Data

- Name, date of birth
- Needs to be verified



Biographical Deduplication

Organization A



Tim	Rausch	Saarbrücken
Jane	Doe	Washington
Wouter	Lueks	Saarbrücken
Erika	Musterfrau	Berlin

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Organization B



Maria	Rossi	Rome
Tim	Rausch	Saarbrücken
Max	Mustermann	Bonn
Walter	Lücks	Saarbrücken



Functionality

Find duplicates by **fuzzily** comparing records

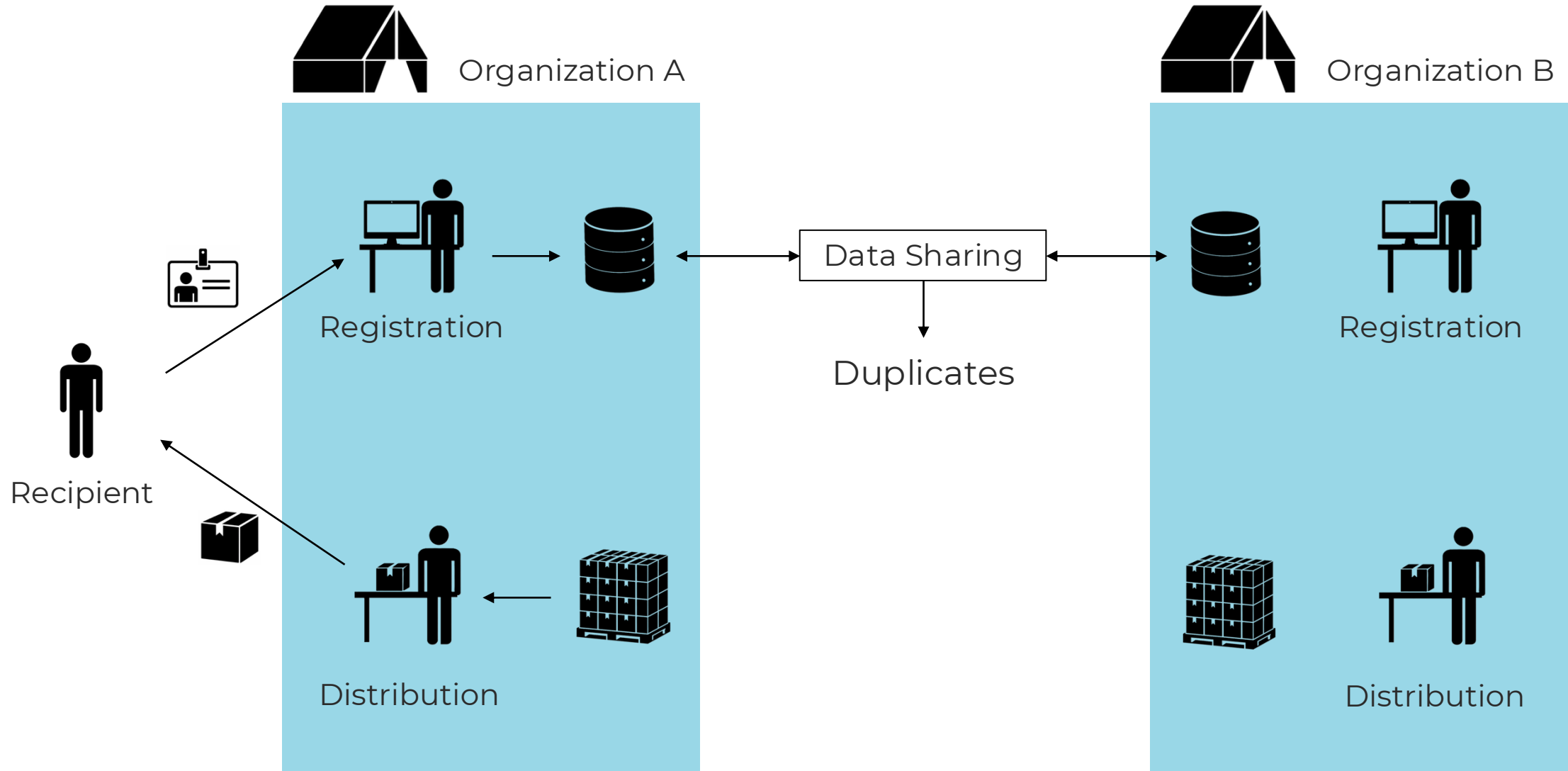


Privacy

No leakage to other organizations

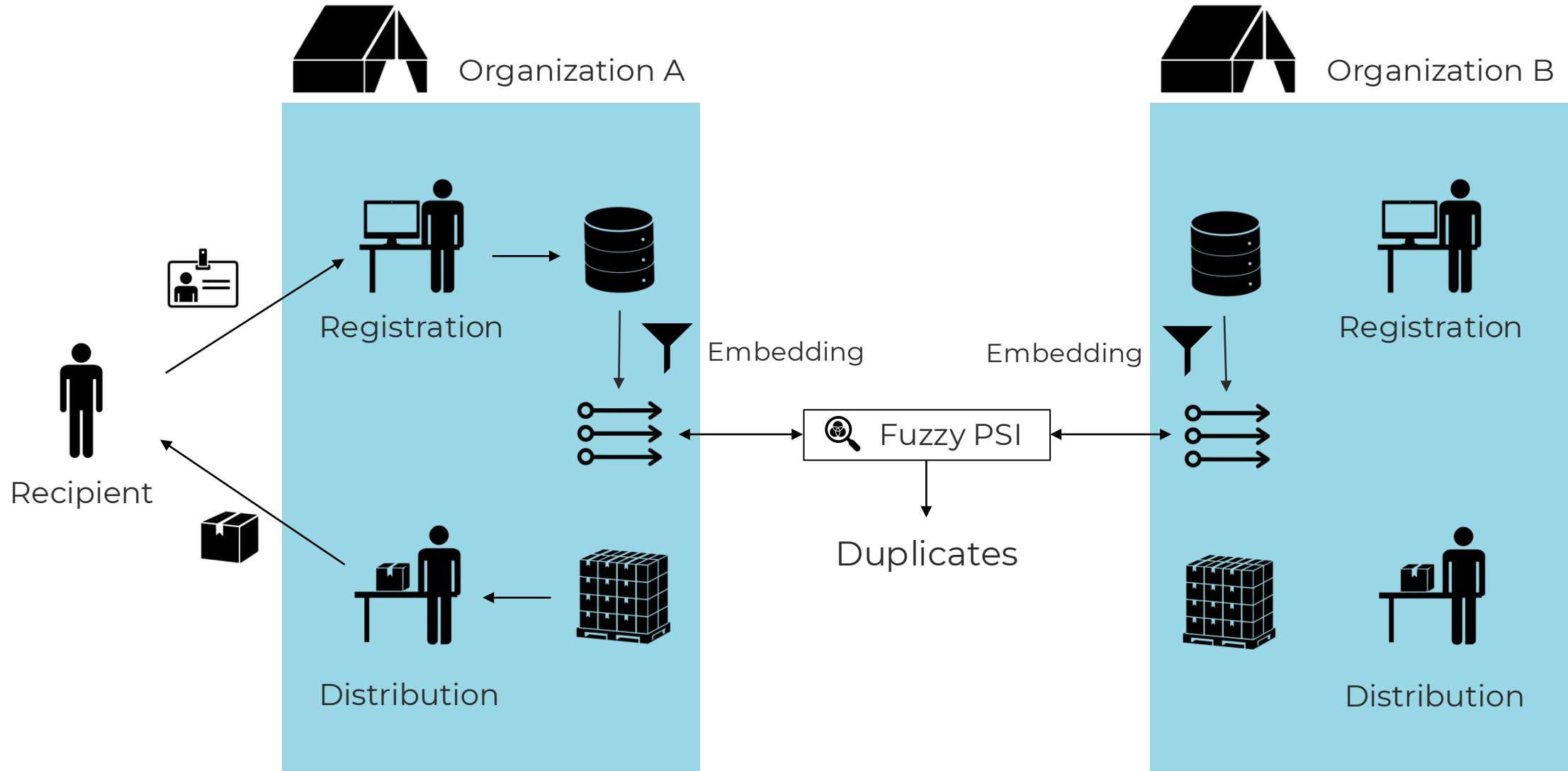


System Design





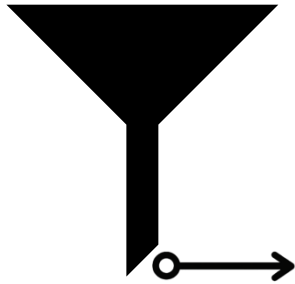
System Design





Deduplication from Fuzzy PSI

Jane Doe, Washington



Embedding

Transform registration records into points in a **metric space**

- Preserve similarity
- Context-**dependent**



Fuzzy Private Set Intersection (FPSI)

Privately identifies **close points** in metric space

- Close: $d(x, y) \leq \tau$
- Context-**independent**



Validating our Design



Evaluation Dataset

Generate **synthetic** evaluation dataset

- Based on voter registration DB
- Synthetically introduce duplicates
- Models common errors:
 - E.g., typos and missing fields

Representative of a deduplication task



Embedding

Embed records into **Hamming space**

- Using standard record linkage techniques
- Parameterization:
 - Embedding dimension $l = 512$
 - **Threshold $\tau \approx 128 = l/4$**
 - FPR of 0.1% (deduplicating records against a DB of 131k existing registrations)
 - Recall of 99.4%

Missing: 🔍 FPSI Protocol for **Hamming Space**



Why Existing FPSI does not Work

FLPSI

[Uzun et al.,
USENIX '21]

DA-PSI

[Chakraborti et
al., USENIX '23]

Approx-PSI

[Chongchitmate
et al., 2024]

Fmap-FPSI

[Gao et al.,
Asiacrypt '24]

PE-FPSI

[Blass and Noubir,
USENIX '26]



Why Existing FPSI does not Work

FLPSI

[Uzun et al.,
USENIX '21]

Threshold
Dependent

τ

Insufficient
Precision

$\approx$

DA-PSI

[Chakraborti et
al., USENIX '23]

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[Blass and Noubir,
USENIX '26]

FLPSI

Approximates
Hamming Distance by
Subsampling

- Run time depends
on subsampling
parameters

τ

- **Most** registrations
are false duplicates

$\approx$



Why Existing FPSI does not Work

	Threshold Dependent	Insufficient Precision	Prohibitively Expensive
FLPSI [Uzun et al., USENIX '21]	τ	$\approx$	
DA-PSI [Chakraborti et al., USENIX '23]	τ	$\approx$	
Approx-PSI [Chongchitmate et al., 2024]			
Fmap-FPSI [Gao et al., Asiacrypt '24]			
PE-FPSI [Blass and Noubir, USENIX '26]			

DA-PSI

Approximates the
Hamming Distance

- **Quadratic** in τ
 τ
- Slower than Garbled
Circuits

- **Every** record is false
duplicate
 $\approx$



Why Existing FPSI does not Work

	Threshold Dependent	Insufficient Precision	Prohibitively Expensive	Unfulfillable Assumption
FLPSI [Uzun et al., USENIX '21]				
DA-PSI [Chakraborti et al., USENIX '23]				
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Fmap-FPSI [Gao et al., Asiacrypt '24]				
PE-FPSI [Blass and Noubir, USENIX '26]				

Approx-PSI

Subquadratic through
input assumption:

Points are

- Close: $d(x, y) \leq \tau$, or
- Far apart: $d(x, y) \geq 3\tau$

With $\tau \approx l/4$, points
must be $d(x, y) \geq 3/4 \cdot l$
apart





Why Existing FPSI does not Work

	Threshold Dependent	Insufficient Precision	Prohibitively Expensive	Unfulfillable Assumption
FLPSI [Uzun et al., USENIX '21]	τ	$\approx$		
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Approx-PSI [Chongchitmate et al., 2024]				
Fmap-FPSI [Gao et al., Asiacrypt '24]	τ			
PE-FPSI [Blass and Noubir, USENIX '26]				

Fmap-FPSI

Linear through input assumption: Each vector has $\tau + 1$ **unique components**

- Bit vectors have one of **two** values in each component



- Quadratic** in τ

 τ



Why Existing FPSI does not Work

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PE-FPSI [Blass and Noubir, USENIX '26]	τ			

PE-FPSI

Linear communication through predicate encryption.

- **Linear** in τ

τ

- **Inefficient:**
Processing 2k new registrations takes months





Why Existing FPSI does not Work



Insufficient Precision

FLSPI, DA-PSI



Unfulfillable Assumption

Approx-PSI, Fmap-FPSI



Sub-quadratic complexities come at a **cost**



Threshold-Dependent Complexity

FLSPI, DA-PSI,
Fmap-FPSI, PE-FPSI



Prohibitively Expensive

DA-PSI, PE-FPSI,
arguably others



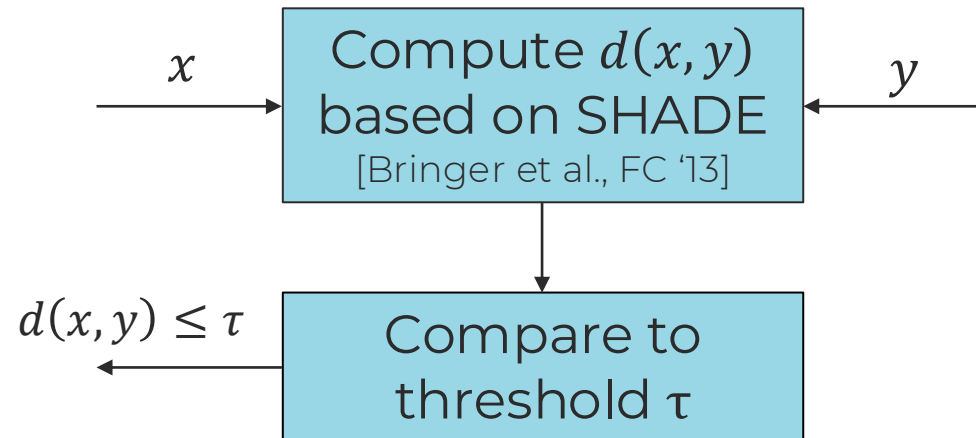
Asymptotics do not protect against **concrete** inefficiency



Our otFPSI

- Simple protocol, based only on **Oblivious Transfer** (OT)
- Accept complexity **quadratic** in set size – ensure **concrete** efficiency
 - No assumptions on inputs necessary

How it Works: Comparison protocol for two bit strings

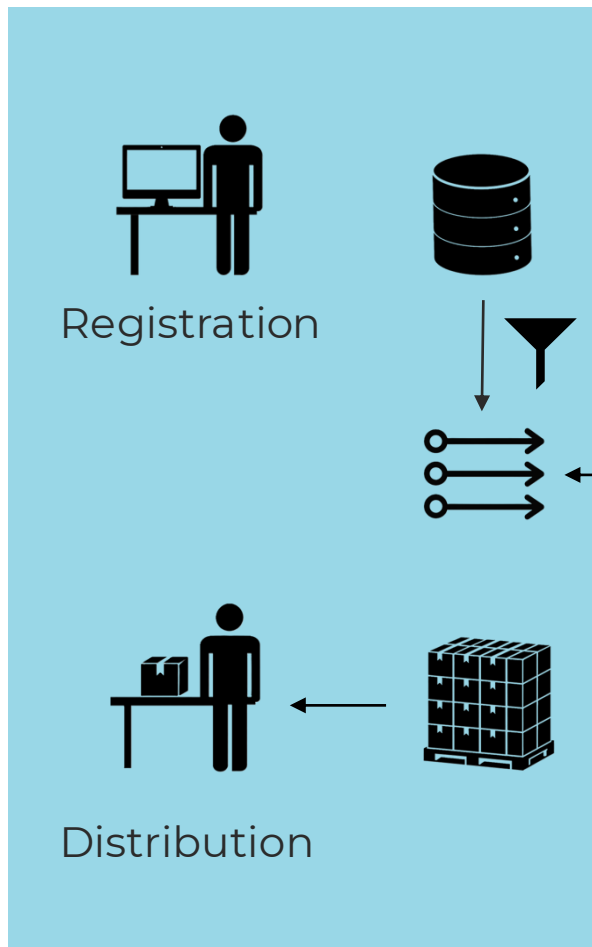




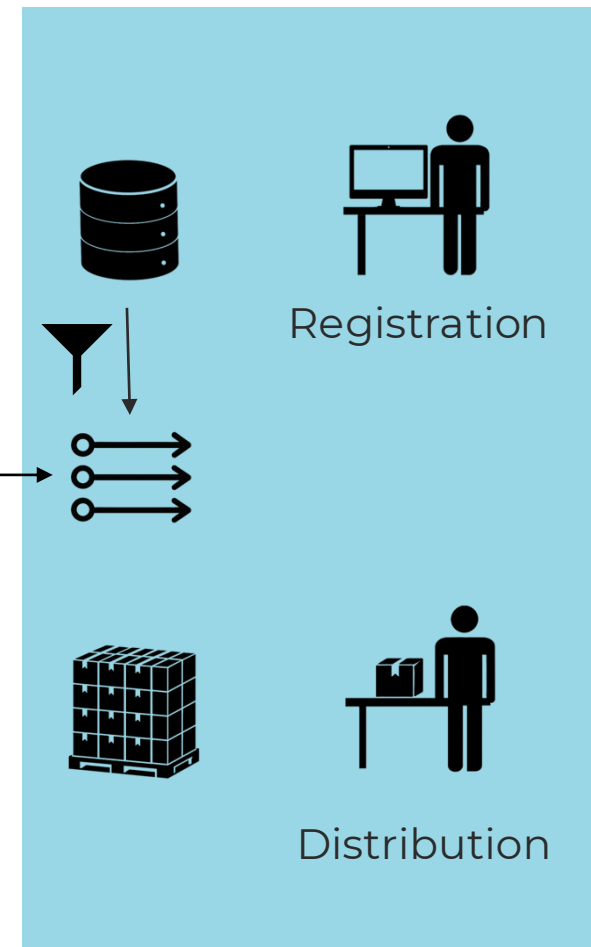
System Design



Field Team A



Field Team B

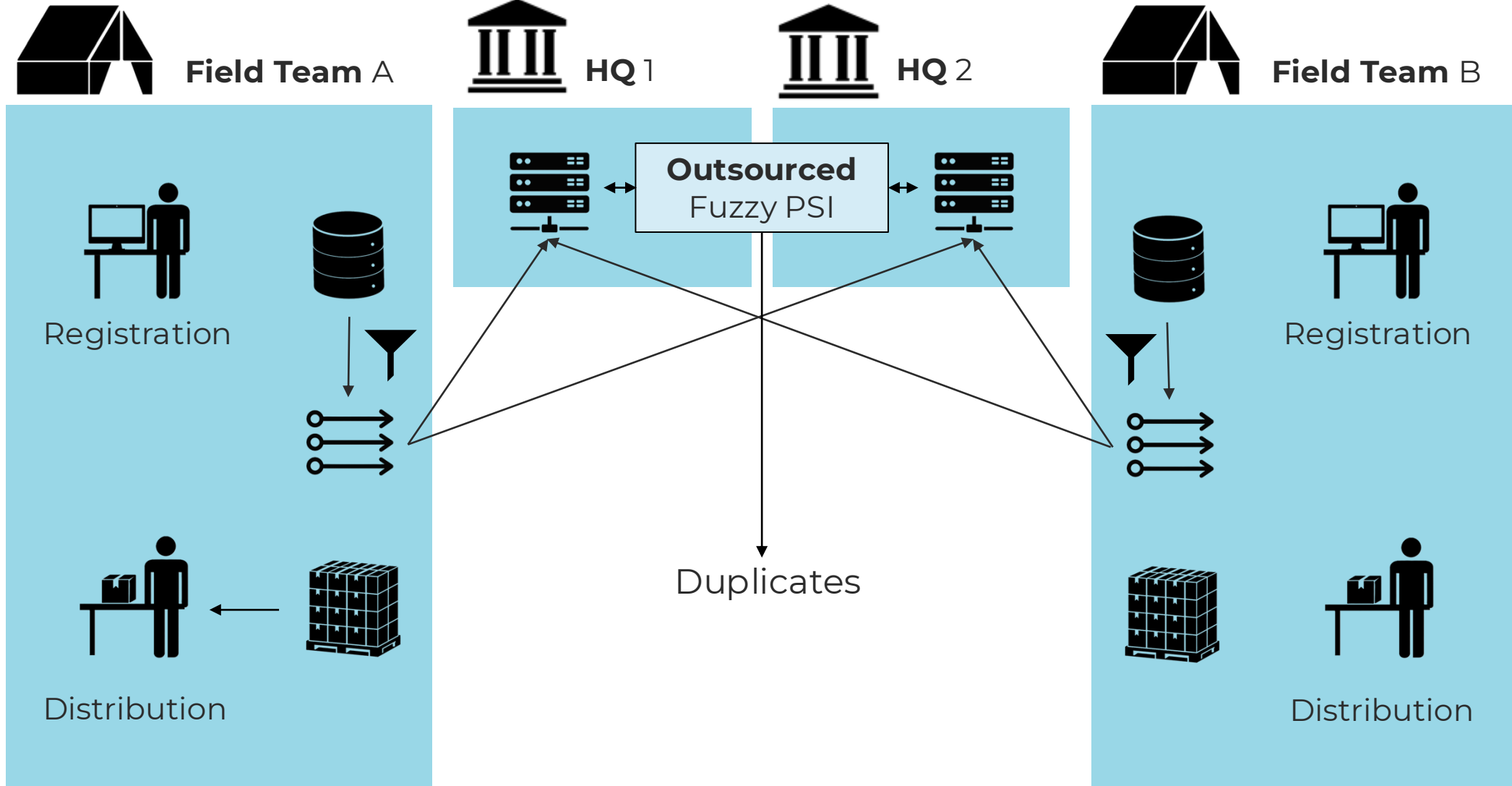


Fuzzy PSI

Duplicates



System Design





otFPSI Evaluation

Overcomes limitations of previous protocols:



**Exact
Results**



**Arbitrary
Inputs**



**Threshold
Independent**



Outsourceable



**Concretely
Efficient**



otFPSI Evaluation



otFPSI outperforms all existing Hamming FPSI protocols

FLPSI
[Uzun et al.,
USENIX '21]

5x

Faster than
online
computation

10x

Faster than
total
computation

Fmap-FPSI
[Gao et al.,
Asiacrypt '24]

$\approx$

Similar
online
time

≥ 2 OoM

Faster
than
total

DA-PSI
[Chakraborti et
al., USENIX '23]

3 OoM

Faster
for all
set sizes

PE-FPSI
[Blass and Noubir,
USENIX '26]

3 OoM

Faster
for all
set sizes

Approx-PSI
[Chongchitmate
et al., 2024]

8x

Faster
for large
sets

3 OoM

Faster
for small
sets

**otFPSI
Advantages**



**Exact
Results**



**Outsource-
able**



**Arbitrary
Inputs**



**Threshold
Independent**



Conclusion

- Deduplication seems like an ideal FPSI application – existing FPSI protocols fail
 - **Gap** between protocols and applications
- otFPSI overcomes limitations and outperforms



Exact
Results



Outsource-
able



Concretely
Efficient



Arbitrary
Inputs



Threshold
Independent

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Read our paper!



<https://arxiv.org/abs/2604.08019>

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